

# Theoretical Approach for Predicting Plasticized Firmness of Cellulose Acetate Filter Rods

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# Objectives

- ▶ Review background of filter rod firmness
- ▶ Discuss key variables and response trends
- ▶ Review theoretical basis for trends
- ▶ Present novel equation form for modeling firmness



# Background

## *Firmness and Plasticizer*

- ▶ Consumers expect “firm” filters
- ▶ Achieving minimum firmness levels in acetate filters usually requires use of a plasticizer
- ▶ Triacetin most common plasticizer for cellulose acetate
- ▶ Application levels vary, generally 6 - 8%
- ▶ Applied with spinning brush or spray nozzles onto a bloomed tow band



Plasticized cellulose  
acetate fiber



# Background

## *Firmness Testing*

- ▶ Numerous test methods for firmness
- ▶ Exact methods vary but basic procedure is constant
  - Apply set force to filter
  - Measure deflection in filter from starting point
  - Divide deflection by initial diameter
- ▶ Destructive test





# Background

## *Historic Approach*

- ▶ Previous work developed linear regressions to predict firmness
- ▶ Key Variables Identified
  - Denier per filament (dpf)
  - Total denier
  - Plasticizer application level (%PZ)
  - Effective crimp index (ECI) i.e. point-in-range
  - Filter circumference
  - Time
- ▶ Model deteriorated at circumferences < 22.0 mm
- ▶ New approach sought to model firmness across wider range with increased accuracy

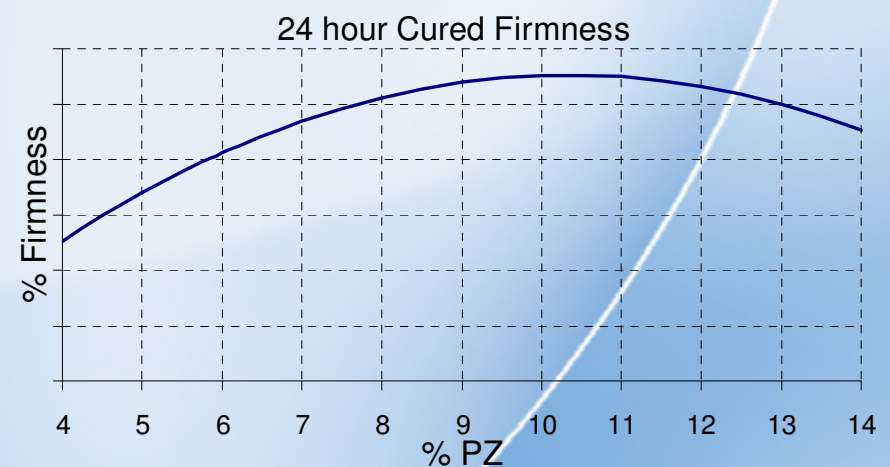
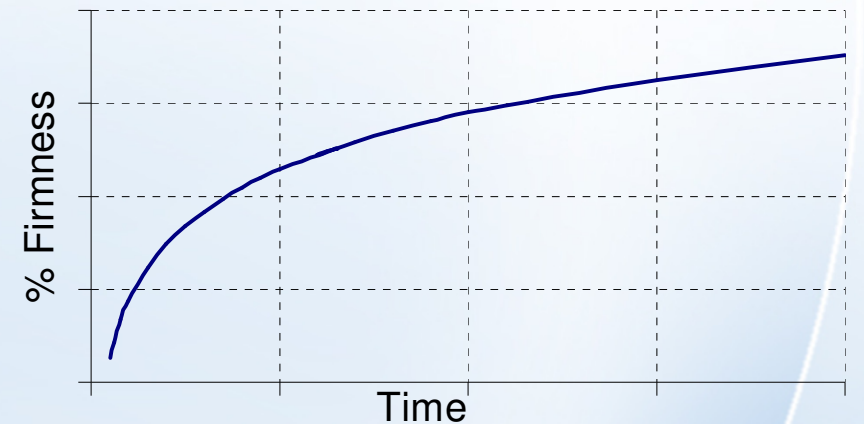
Focus of  
this work



# Background

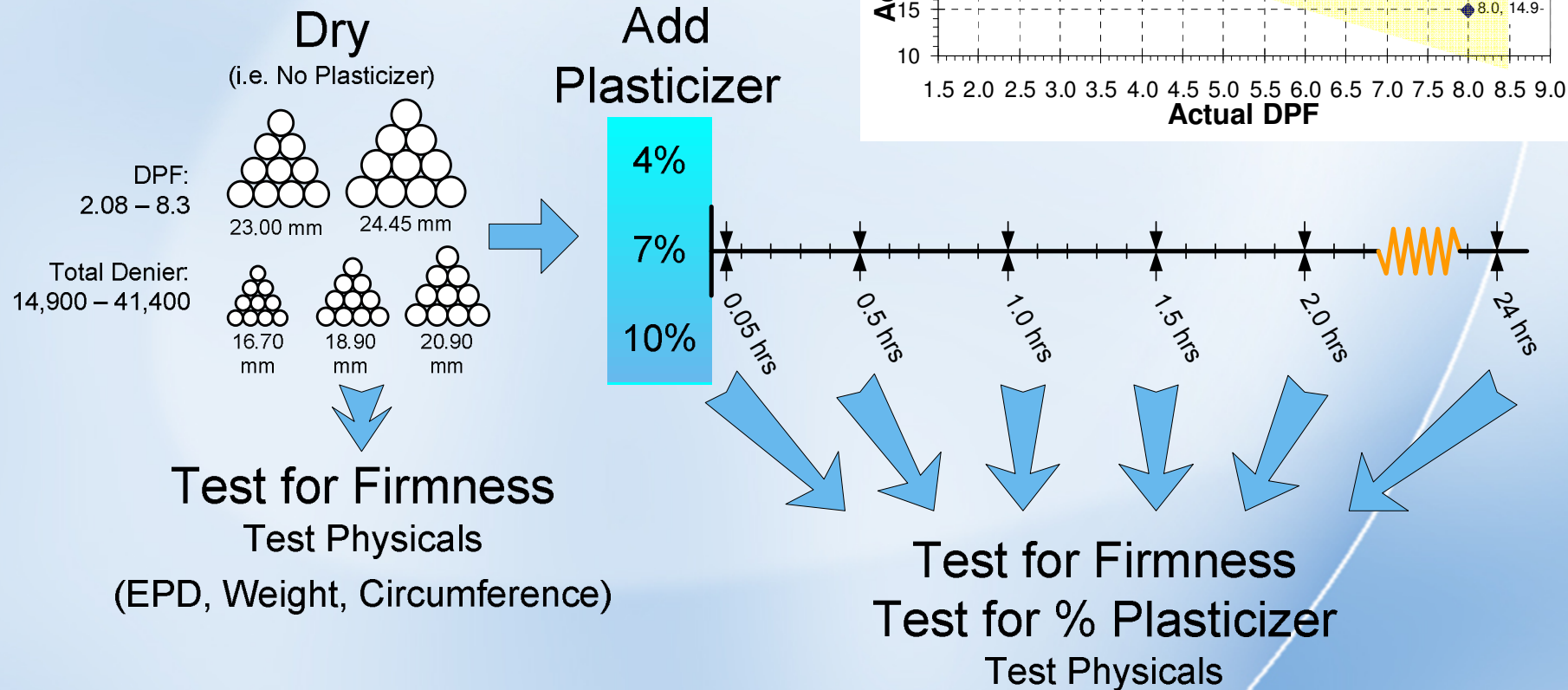
## *Plasticizer Application and Curing*

- ▶ Plasticizer application creates logarithmic firmness increase
  - $\text{Firmness} = A + B \cdot \ln(\text{time})$
  - A and B primarily depend on initial firmness
  - After 24 hours firmness assumed cured
- ▶ Excessive plasticizer application adversely affects cured firmness
  - Varies by item
  - Too much plasticizer reduces firmness
    - Melting rather than bonding fibers





# Experimental Setup

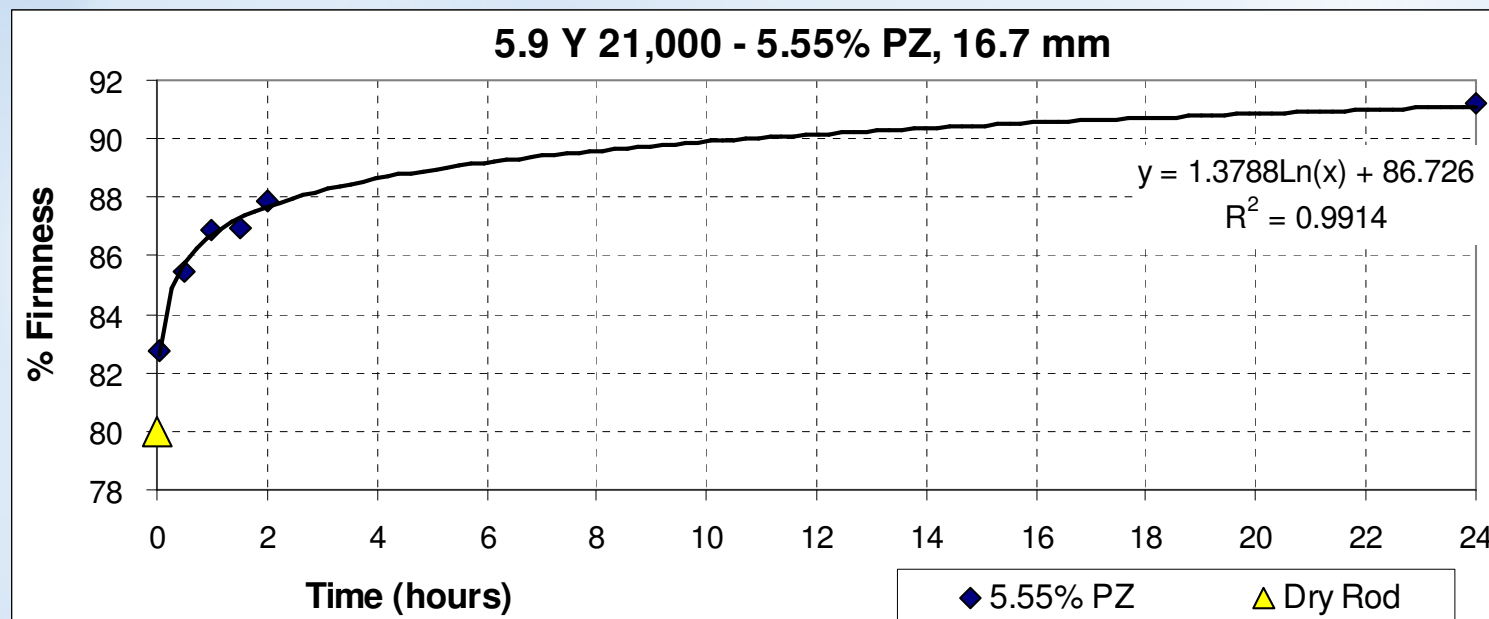




# Model Development

## *Firmness vs. Time*

- ▶ Firmness curing closely follows logarithmic form until 24 hours when filter rod considered “cured”
- ▶  $F_t = F_0 + A_1 + B_1 \cdot \ln(\text{time})$



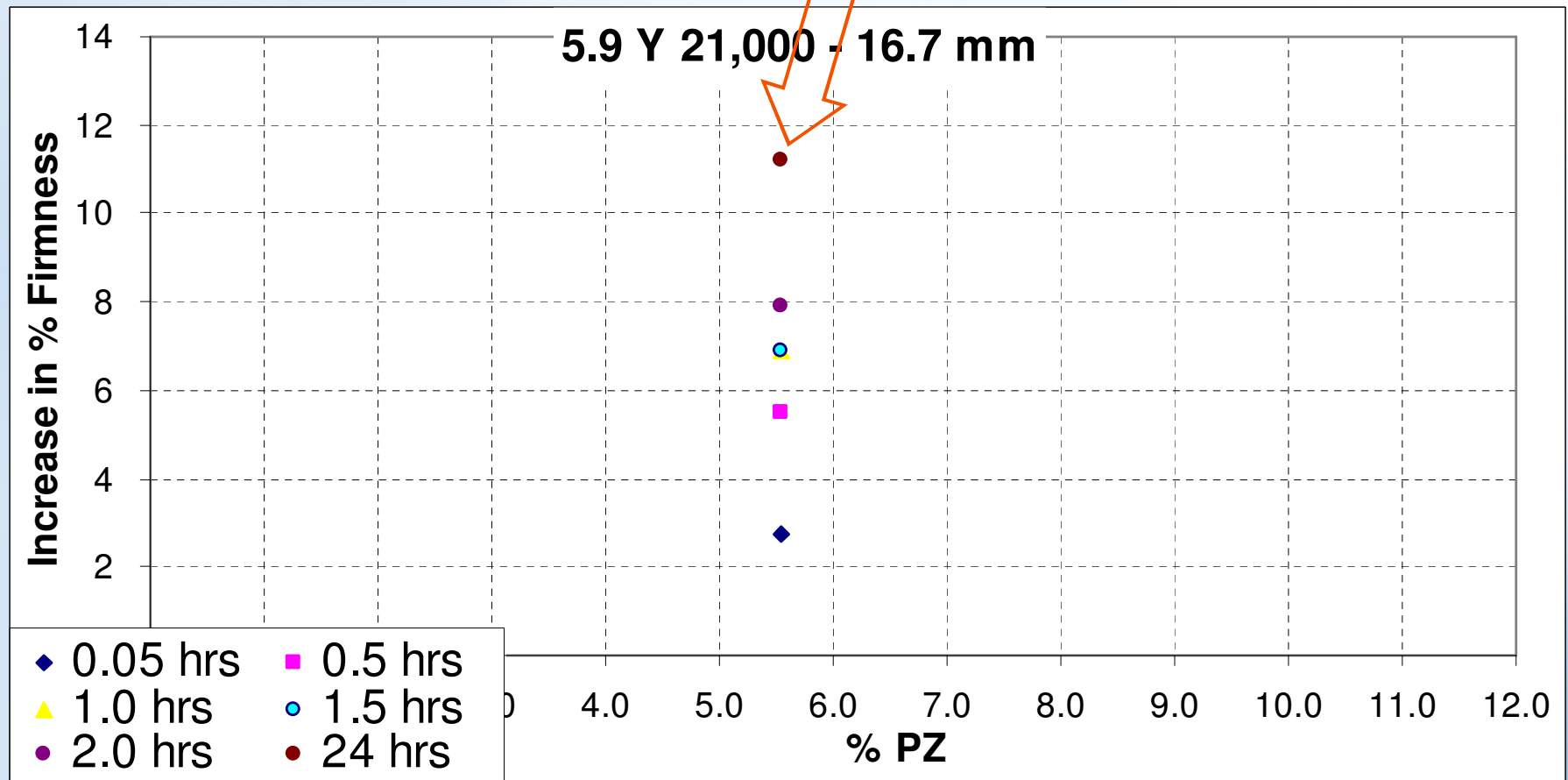
**Challenge—How to predict A and B for all conditions?**



# Model Development

*Firmness vs. PZ*

Transform Data to Firmness  
Increase relative to dry firmness



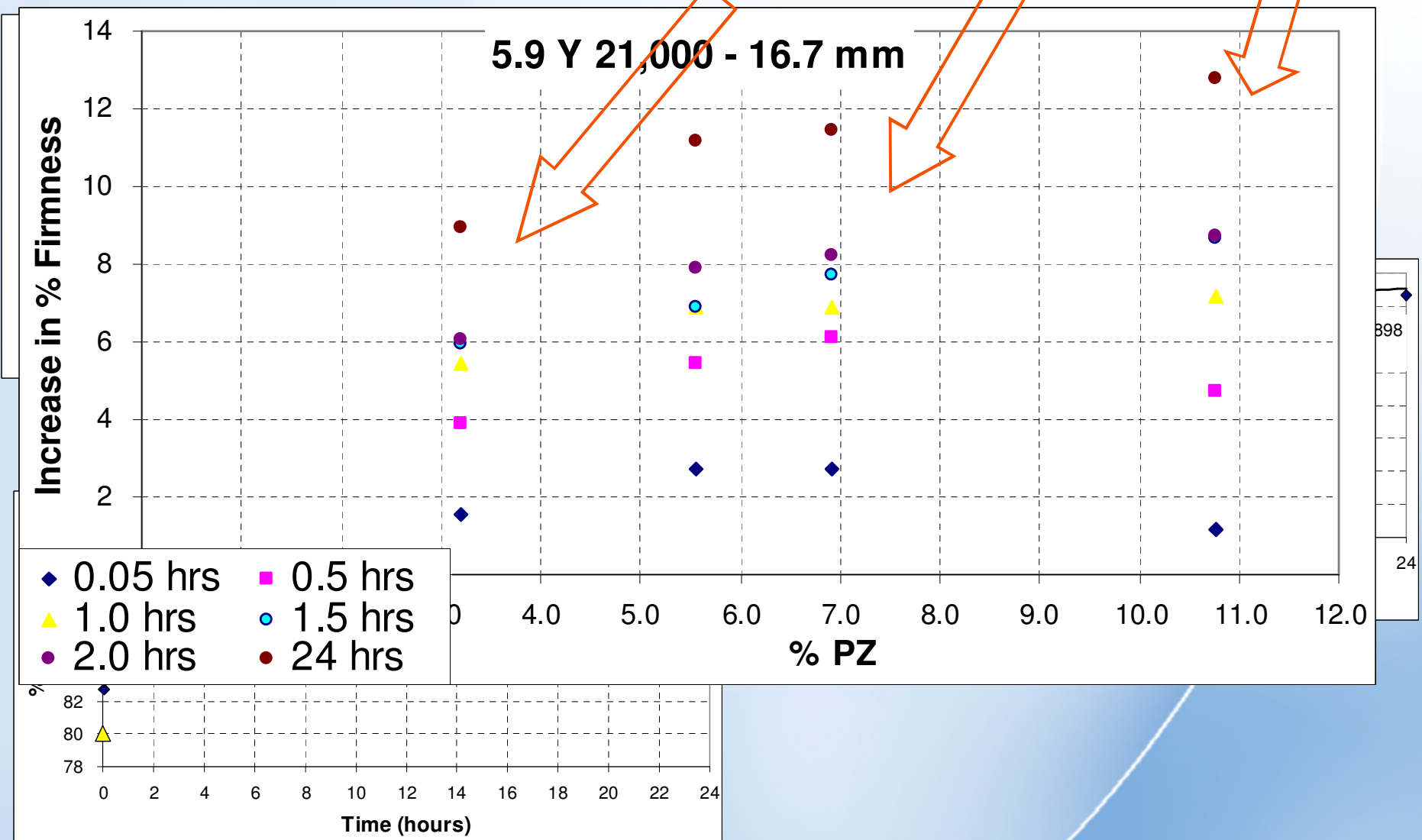
Plot each time as separate series



# Model Development

*Firmness vs. PZ*

Repeat transformation at other plasticizer levels

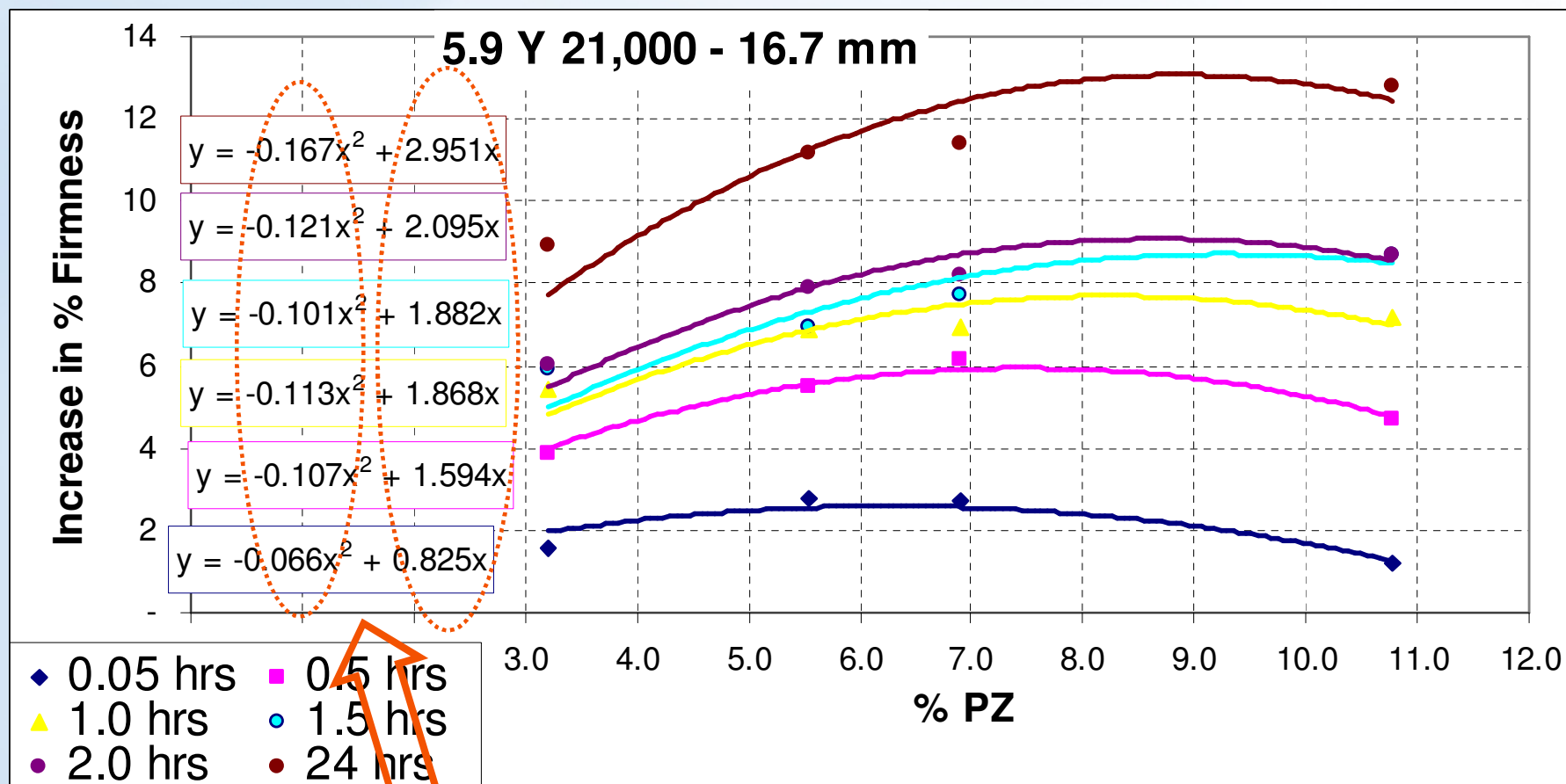




# Model Development

## Firmness vs. PZ

Determine best fit parabolic equation...  
Constraint: 0% PZ = 0%  $\Delta$  Firmness



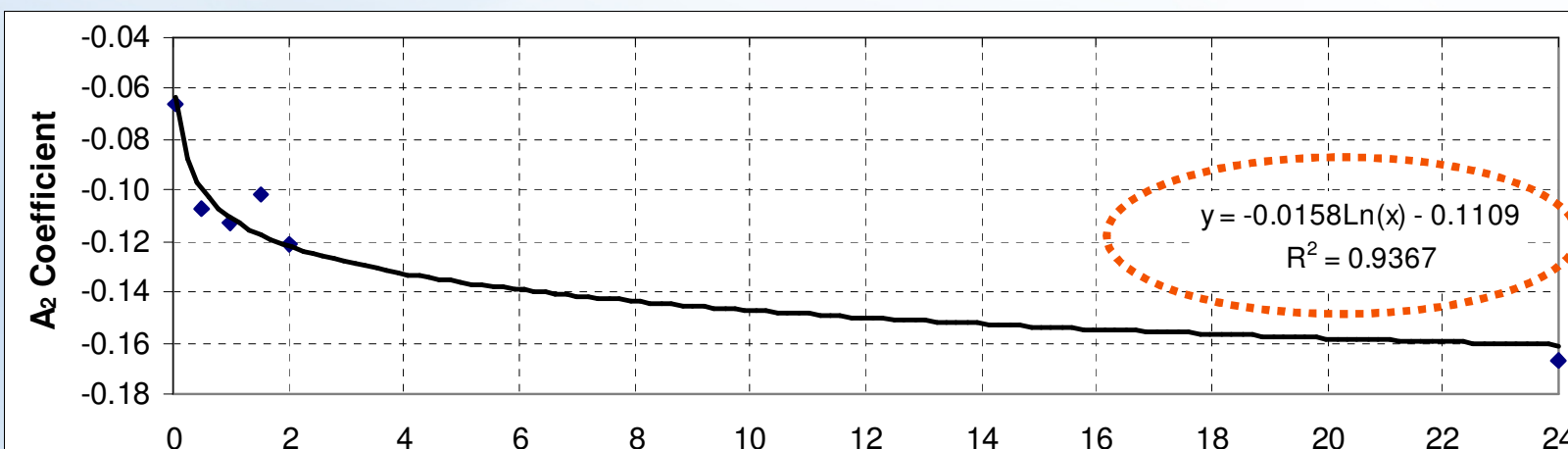
...Can then plot the equation coefficients



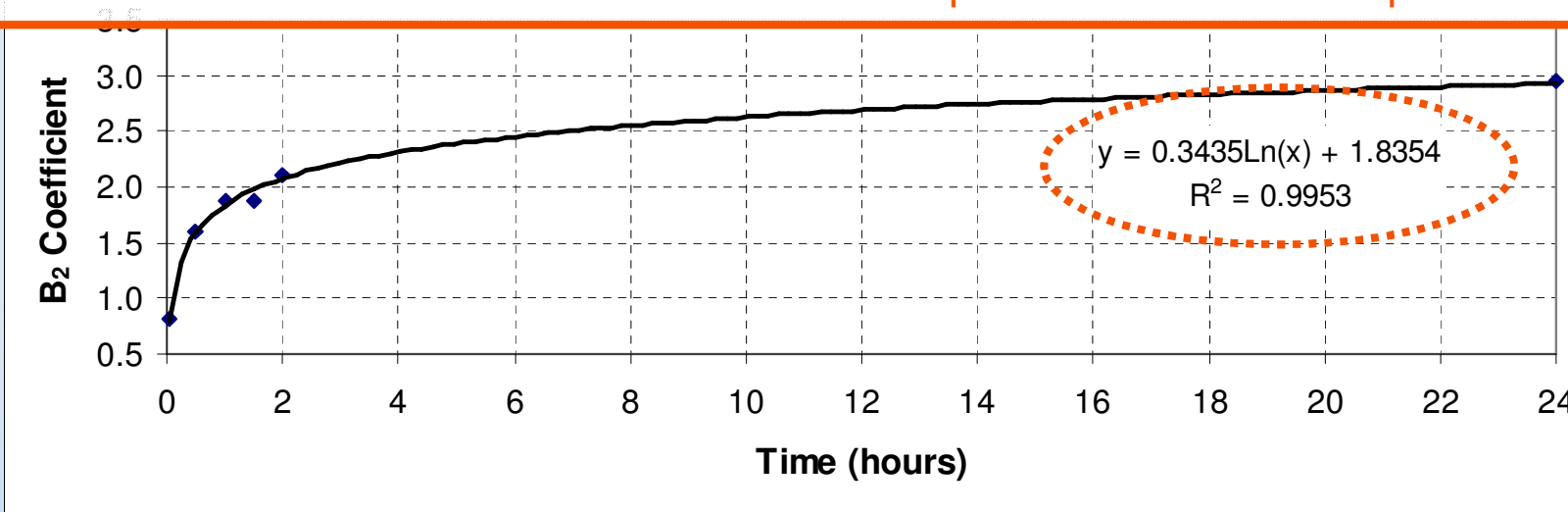
# Model Development

## Firmness vs. PZ

$$\Delta \text{ Firmness} = A_2 \cdot (\%PZ)^2 + B_2 \cdot (\%PZ)$$



Same logarithmic behavior observed as in Firmness vs. Time relationship  
Proves connection between time and plasticizer relationships





# Model Development

- ▶ Combining forms gives new equation for modeling firmness

$$F_t = F_0 + [A_1 \ln(\text{time}) + B_1] \cdot \%PZ^2 + [A_2 \ln(\text{time}) + B_2] \cdot \%PZ$$

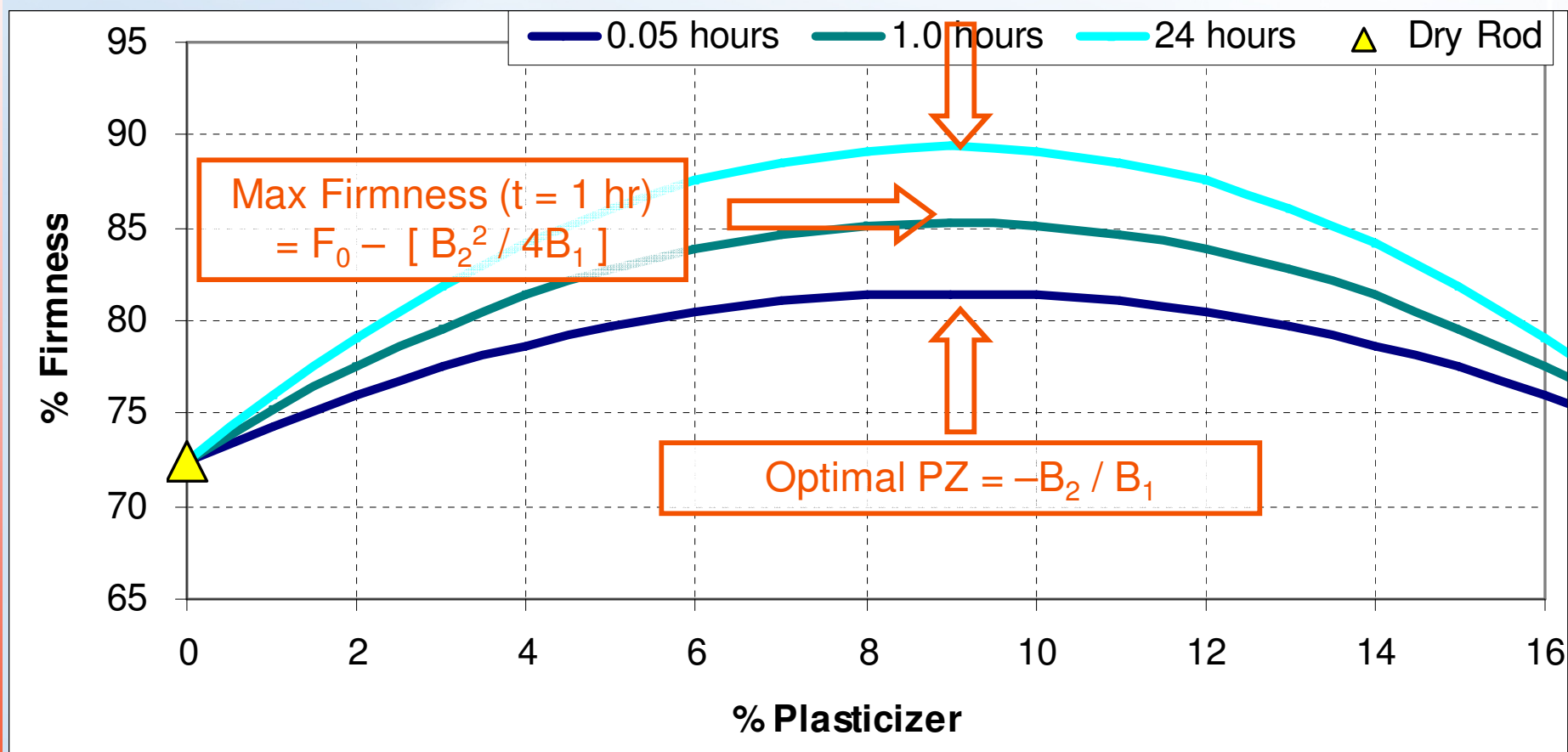
- ▶ Advantages

- At constant PZ will always follow logarithmic curing pattern
- Reflects reduction in firmness seen at very high plasticizer levels
- Separates dry firmness into separate equation that can developed or improved independently



# Theoretical Model

$$F_t = F_0 + [A_1 \ln(\text{time}) + B_1] \cdot \%PZ^2 + [A_2 \ln(\text{time}) + B_2] \cdot \%PZ$$





# Theoretical Modeling

- ▶ Can calculate firmness at any time from 0 to 24 hours
- ▶ Can calculate firmness with any plasticizer level from 0% to past optimal (10-12%)
- ▶ Inputs Needed to calculate Firmness
  - Plasticizer
  - Time
  - Dry Firmness ( $F_0$ )
  - Denier per filament
  - Total Denier
  - Circumference
- ▶ Factors such as weight or point-in range contribute indirectly by heavily impacting dry firmness



# Summary

- ▶ New approach to modeling firmness offers:
  - Greater consistency with known theory
    - Declining effectiveness of plasticizer at higher application levels
    - Logarithmic firmness curing
  - Improved accuracy over historic models
  - Mathematical derivations for optimal %PZ and firmness
- ▶ New model present in TowPlus® 3.1
  - Simulate effect of more or less plasticizer on product specifications
  - Estimate optimal plasticizer level
  - Predict firmness of dry filter rods
  - Model super-slim filter firmness



# Acknowledgements

- ▶ Carl Curry
- ▶ Gary Robertson
- ▶ Melissa Aldrich-Welch